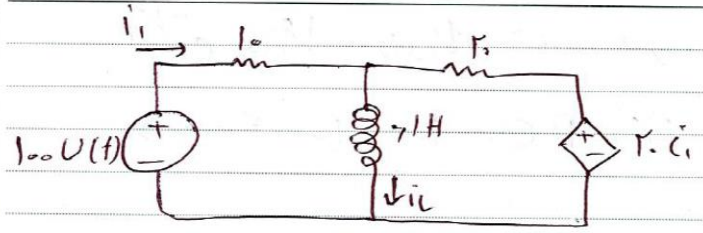


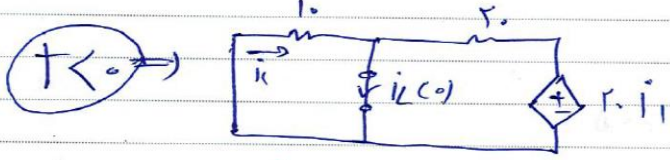
حل حالت گذر \*

Subject: \_\_\_\_\_  
Year: \_\_\_\_\_ Month: \_\_\_\_\_ Date: \_\_\_\_\_

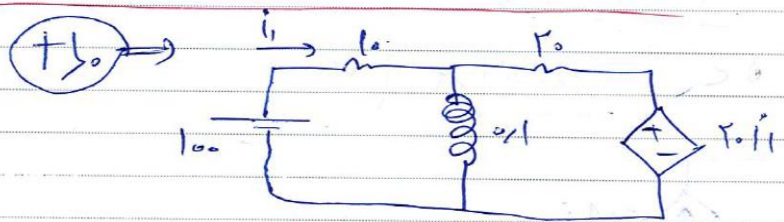
موضوع ۲ سوال ۶۰



$i_L(t) = ?$  و  $i_1(t) = ?$

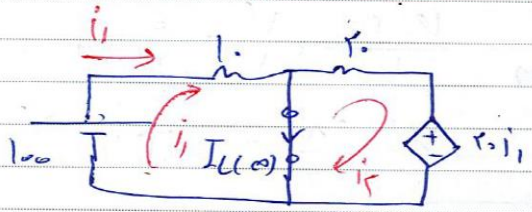


$i_L(0-) = 0$



حالت صفر  $\Rightarrow i_L(t) = i_L(\infty)(1 - e^{-t/\tau})$

مویست P درین :  $I_L(\infty)$



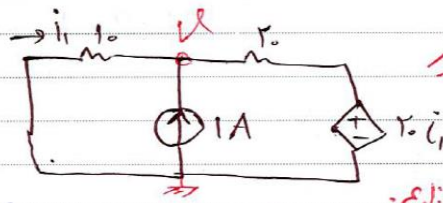
$-100 + 10i_1 = 0 \Rightarrow i_1 = 10A$

$20i_2 + 20i_1 = 0 \Rightarrow i_2 = -10A$

$i_L(\infty) = i_1 - i_2 = 20A$  ✓

HELVA

۶۰



برست آوردن  $\gamma$  = منابع مستقل برابر

$R_{in} = R_{th} = R_{eq}$

چون منبع وابسته داریم یک منبع جبرانی 1A در مدار میزنیم

$$\left\{ \begin{aligned} \frac{V}{r_0} - 1 + \frac{V - r_0 i_1}{r_0} &= 0 \\ i_1 &= \frac{-V}{r_0} \end{aligned} \right. \Rightarrow \frac{V}{r_0} - 1 + \frac{V + r_0 V}{r_0} = 0$$

$\Rightarrow \partial V = r_0 \Rightarrow V = \epsilon V$

$R_{eq} = \frac{\epsilon}{1} = \epsilon r_0$

$\gamma = \frac{L}{R_{eq}} = \frac{r_0 L}{\epsilon} = \frac{1}{\epsilon} \Rightarrow \frac{1}{\gamma} = \epsilon$

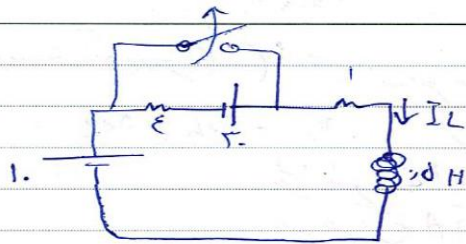
$i_L(t) = r_0 (1 - e^{-\epsilon t})$

$V_L(t) = L \frac{di}{dt} = r_0 L (\epsilon \cdot e^{-\epsilon t}) = 1 \cdot e^{-\epsilon t}$

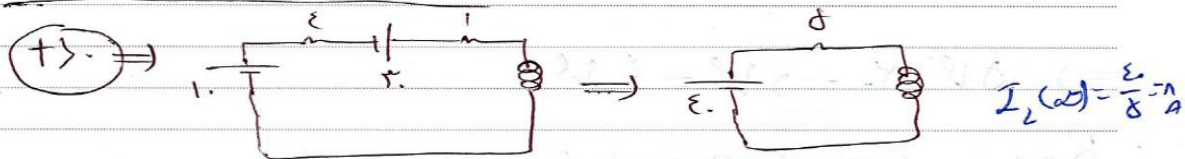
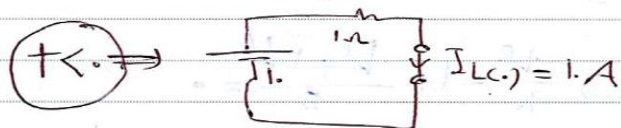
$i_L(t) = \frac{1 - V_L(t)}{r_0} = \frac{1 - 1 \cdot e^{-\epsilon t}}{r_0} \Rightarrow i_L(t) = 1 - 1 \cdot e^{-\epsilon t}$

فیزیک

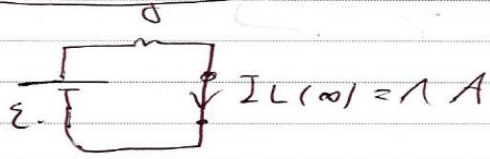
ص ۵۱ سوال ۱ ✓



$I_L(t) = ?$



پایه کابل ⇒  $I_L(t) = (I_L(0) - I_L(\infty)) e^{-t/\tau} + I_L(\infty)$

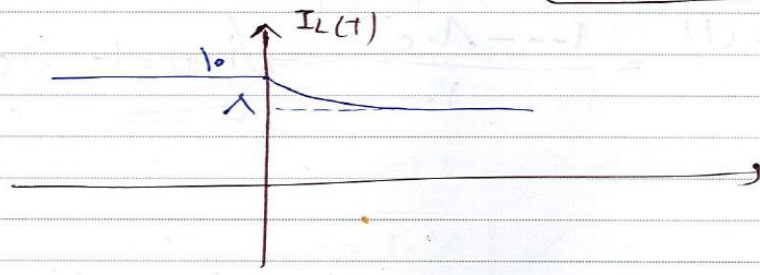


:  $I_L(\infty)$  بهت آفرین

$\tau = \frac{L}{R} = \frac{\delta}{1} = \delta \Rightarrow \frac{1}{\tau} = 1$

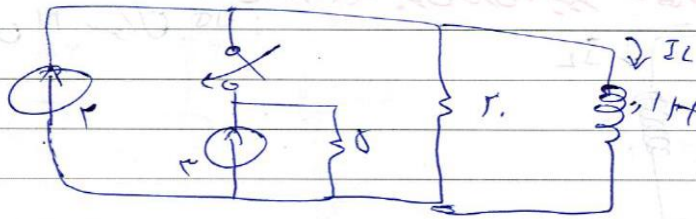
:  $\tau$  بهت آفرین

$I_L(t) = (1 - 1) e^{-1 \cdot t} + 1 \Rightarrow I_L(t) = 1 + 1 e^{-1 \cdot t}$



Date:

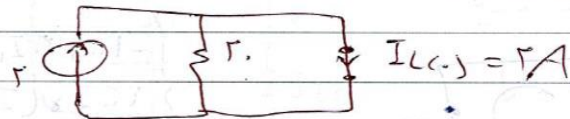
Subject:



در صورتی که

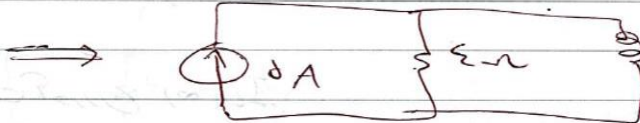
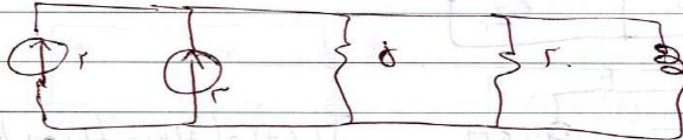
$I_L(t) = ?$

(+ < -) →



$I_L(\infty) = 2A$

(+ > -) →



کتابخانه →  $I_L(t) = (I_L(\infty) - I_L(0))e^{-t/\tau} + I_L(0)$



$I_L(\infty) = \delta A$

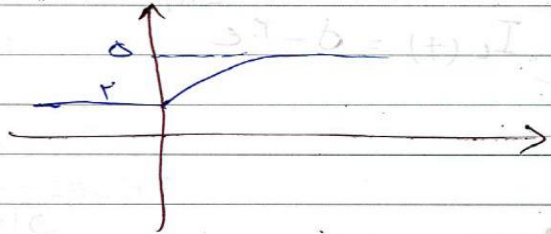
$I_L(\infty)$  در صورتی که

$\tau = \frac{L}{R} = \frac{L}{\epsilon} = \frac{1}{\epsilon} = \frac{1}{\gamma} = \epsilon$

$\tau$  در صورتی که

$I_L(t) = (r - \delta)e^{-\epsilon t} + \delta$

$I_L(t) = \delta - r e^{-\epsilon t}$

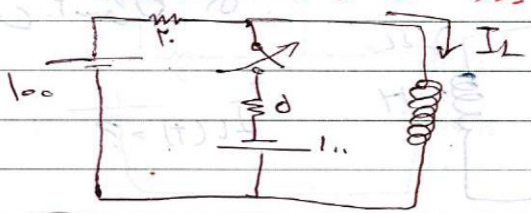


Raz

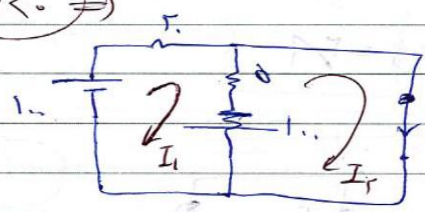
④ \* منبع کامل  $I_L(t) = I_L(\infty) = 0A$  زیرا که باید  $I_L(t) = I_L(\infty)$  همیشه صاف است که باید  $I_L(t) = I_L(\infty)$  را بنویسیم و بعد از پیدا کردن  $I_L(t) \neq I_L(\infty)$  و اگر  $I_L(t) = I_L(\infty)$  چون خازن یا القاگر تا زمان ولتاژ صاف نمی شود.

Date: \_\_\_\_\_ Subject: \_\_\_\_\_

ص ۲۱ سوال ۵۵

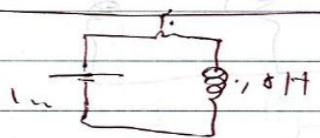


(+) < 0 =>

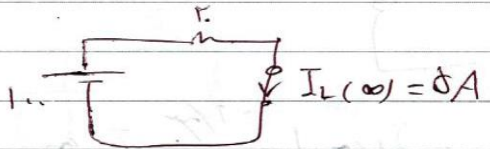


$$\begin{cases} -100 + 5I_1 + 5(I_1 - I_2) - 100 = 0 \\ 100 + 5(I_2 - I_1) = 0 \end{cases} \Rightarrow I_2 = -10A$$

(+) > 0



$$I_L(t) = (I_L(0) - I_L(\infty))e^{-t/\tau} + I_L(\infty)$$



درست است  $I_L(\infty) = 0A$

$$\tau = \frac{L}{R} = \frac{1H}{5\Omega} = \frac{1}{5} \Rightarrow \frac{1}{\tau} = 5$$

$$I_L(t) = (-10 - 0)e^{-5t} + 0$$

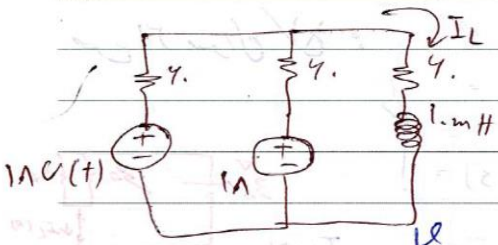
$$I_L(t) = 0 - 10e^{-5t}$$

Raz

۳۴

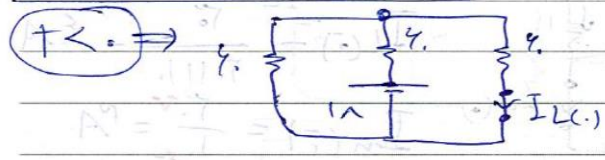
⑥ \* 2/20/2020 \* ⑤

Date: \_\_\_\_\_ Subject: \_\_\_\_\_



5/2/2020

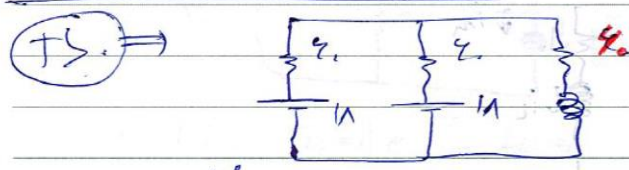
$I_L(t) = ?$



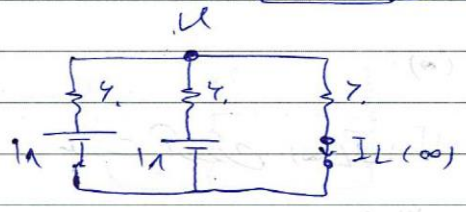
$$\frac{V}{4} + \frac{V-1A}{4} + \frac{V}{4} = 0$$

$$V = 2V$$

$$I_{L(0-)} = \frac{4}{4} = 1A$$



$$I_L(t) = (I_{L(0-)} - I_{L(\infty)})e^{-\gamma t} + I_{L(\infty)}$$



$$I_{L(\infty)} = \frac{V-1A}{4} + \frac{V-1A}{4} + \frac{V}{4} = 0$$

$$V = 1A$$

$$I_{L(\infty)} = \frac{1A}{4} = 0.25A$$



$$R_{eq} = (4 \parallel 4) + 4 = 9 \Omega$$

$$\gamma = \frac{L}{R} = \frac{1mH}{9\Omega} \Rightarrow \frac{1}{\gamma} = 9ms$$

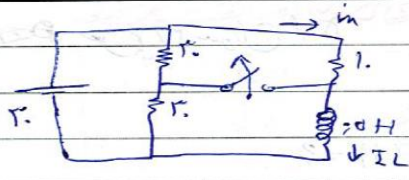
$$I_L(t) = (1 - 0.25)e^{-\frac{t}{9ms}} + 0.25$$

Raz

$$I_L(t) = 0.75 - 0.5e^{-\frac{t}{9ms}}$$

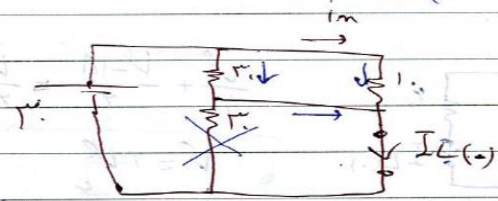
3A

Date: \_\_\_\_\_ Subject: \_\_\_\_\_



$$\left. \begin{aligned} i_m(0^-) &= \\ i_m(0^+) &= \\ i_m(\infty) &= \end{aligned} \right\}$$

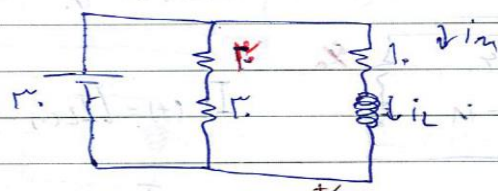
جواب سوال 31



$$I_L(t) = \frac{I_L(\infty) - I_L(0^+)}{\tau} e^{-t/\tau} + I_L(0^+)$$

$$I_L(0^-) = \frac{E}{r + r} = \frac{E}{2r}$$

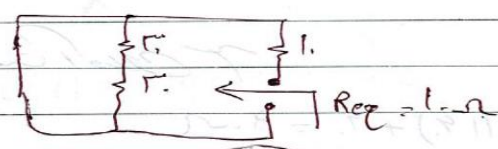
$$I_L(\infty) = \frac{E}{r} = 2A$$



$$i_L(t) = (I_L(0^-) - I_L(\infty))e^{-t/\tau} + I_L(\infty)$$



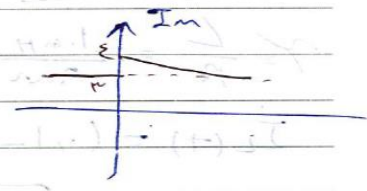
$$I_L(\infty) = \frac{E}{r} = 2A$$



$$\tau = \frac{L}{R} = \frac{1}{1} = 1$$

$$I_L(t) = e^{-t/\tau}$$

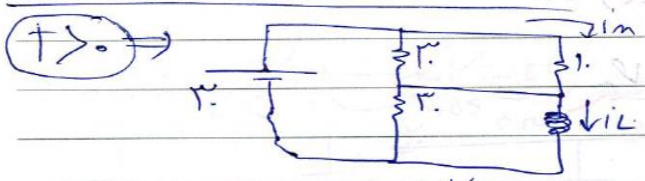
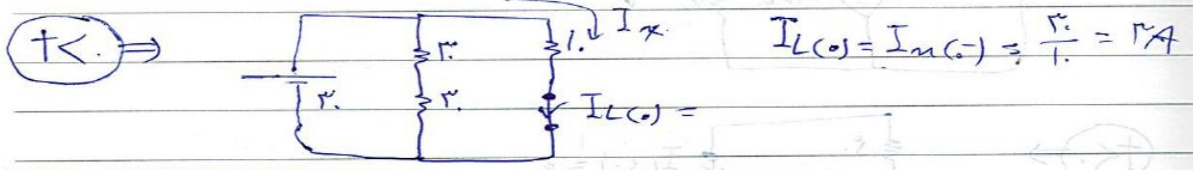
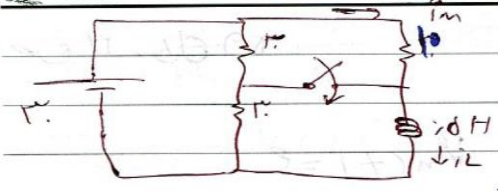
$$I_m(t) = I_L(t) \Rightarrow I_m(t) = e^{-t/\tau}$$



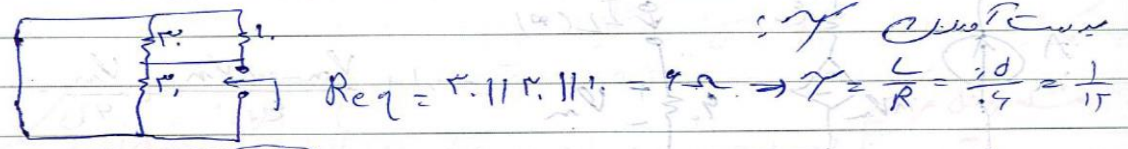
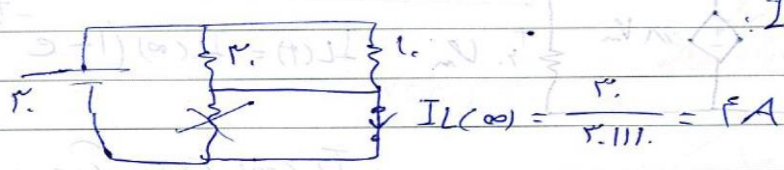
**Raz**  $I_m(0^+) = e^{-0/\tau} = 1A$

$$I_m(\infty) = e^{-\infty/\tau} = 0A$$

ص 21 سوال 5A



$I_L(t) = (I_L(0) - I_L(\infty)) e^{-t/\tau} + I_L(\infty)$



$I_L(t) = 5 e^{-t/2}$

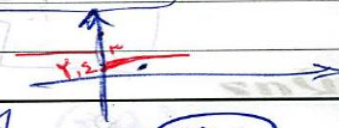
$V_L(t) = L \frac{di}{dt} = -10(10 e^{-t/2}) = 9 e^{-t/2}$

$I_m(t) = \frac{10 - V_L(t)}{1 \Omega} \Rightarrow I_m(t) = 10 - 9 e^{-t/2}$

$I_m(t) = 10 - 9 e^{-t/2} = 10.9A$

Raz

$I_m(8.5ms) = 10 - 9 e^{-4.25} = 10.9A$



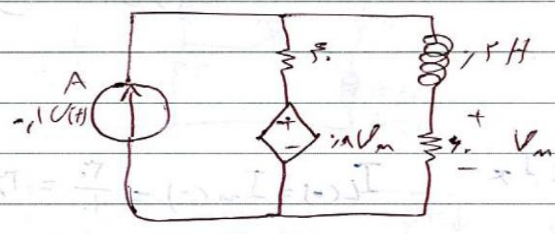
(10V)



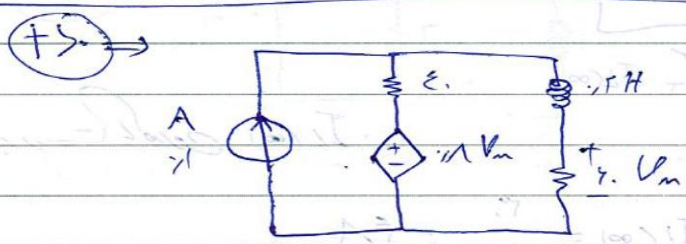
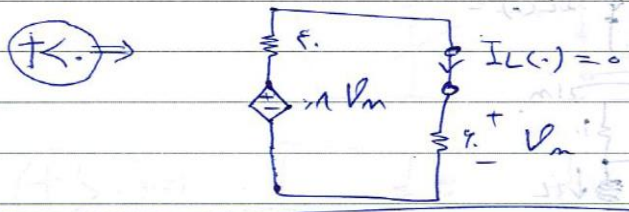
۲) حالت صفر اولی (۳)

Date: \_\_\_\_\_ Subject: \_\_\_\_\_

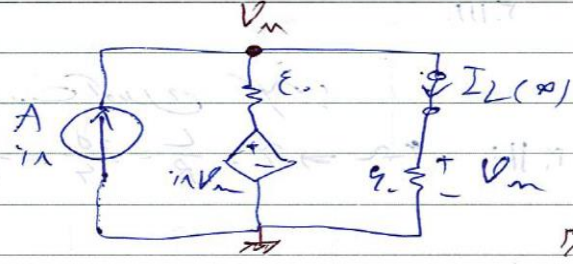
ص ۲۱ سوال ۵۹



$$V_m(t) = \beta$$



$$I_L(t) = I_L(\infty) (1 - e^{-t/\tau})$$

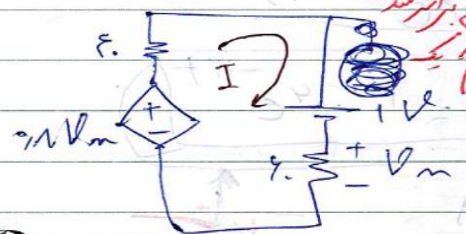


$I_L(\infty)$  در حالت پایدار

$$I + \frac{V_m - \epsilon V_m}{\epsilon} + \frac{V_m}{r} = 0$$

$$\epsilon r V_m = 1 r$$

$$V_m = 5,41 \text{ V} \rightarrow I_L(\infty) = \frac{5,41}{r} = 27 \text{ mA}$$



$R_{eq}$  :  $\gamma$  (مقاومت معادل)

منته ۱۵ با این روش می توانیم

منته ۱۵ با این روش می توانیم

$$- \epsilon V_m + \epsilon \cdot I + 1 + r \cdot I = 0$$

$$V_m = r \cdot I \Rightarrow I = \frac{1}{\delta r}$$

Raz

$$R_{eq} = R_N = R_{th} = \frac{V}{I} = \frac{1}{\frac{1}{\delta r}} = \delta r \sim \text{۲۸}$$

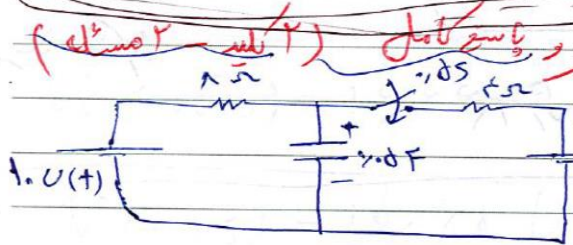
$$\gamma = \frac{L}{R} = \frac{2}{0.5} = 4 \Rightarrow \frac{1}{\gamma} = 0.25$$

$$I_L(t) = 4 \times 1.1 (1 - e^{-4t})$$

$$V_m(t) = 4 \cdot I_L(t)$$

$$V_m(t) = 4.4 (1 - e^{-4t})$$

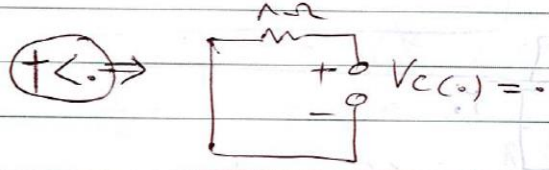
جواب



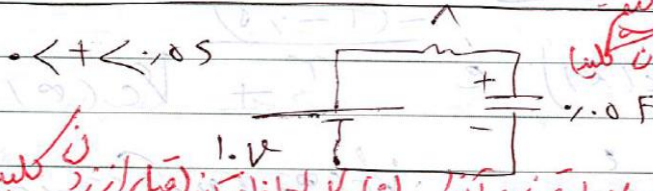
مقاله ترکیبی؛  $\gamma = 4$  حالت منبر و پاسو کابل (۲) کابل ۲ مسئله (۲) من ۲۲ کیلو ۶۷ کیلو: از میدان هم، هم صافه

$$V_C(0.25) = ?$$

$$V_C(0.125) = ?$$

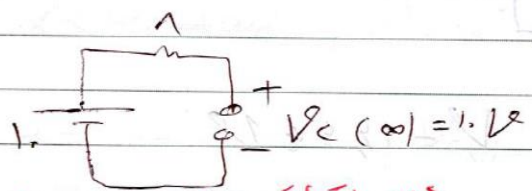


معنی ۰.۳۵: بعد از ۰.۳۵ ثانیه، منبر با ۰.۳۵



مسئله را در دو مرحله حل می کنیم. یکبار  $t < 0$  و  $t > 0$  (قبل از زدن کلید)

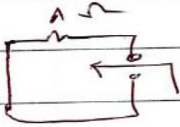
مسئله را حل می کنیم. پس در  $t < 0$  یا معنی ۰.۳۵: بعد از ۰.۳۵ ثانیه، منبر با ۰.۳۵.  $V_C(t) = V_C(\infty)(1 - e^{-t/\gamma})$



در  $t > 0$  یا معنی ۰.۳۵: بعد از ۰.۳۵ ثانیه، منبر با ۰.۳۵.  $V_C(\infty)$  بعد از زدن کلید

آنر وسط کار در ۰.۵. انتقاسی می افتاد در اینجا  $V_C(\infty) = 1.0V$

Raz



$\tau = R_{eq} \cdot C$

$$\tau = R_{eq} \cdot C = 1 \times 1 \cdot 0 = 1 \text{ s}$$

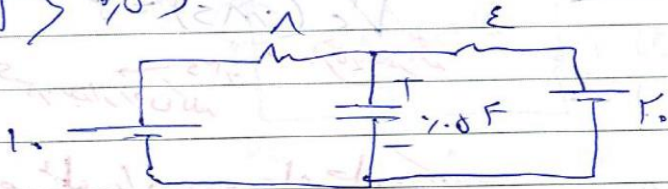
$$V_C(t) = 1 \cdot (1 - e^{-t/\tau})$$

$$V_C(1 \text{ s}) = 1 \cdot (1 - e^{-1}) = 4,71 \text{ V} \checkmark$$

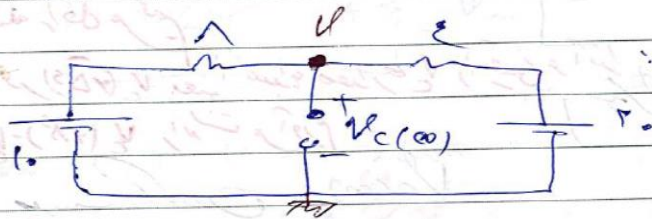
!  $\tau = 1 \text{ s}$

$$V_C(0) = 1 \cdot (1 - e^{-0}) = 0 \text{ V}$$

$t > 1,5 \text{ s}$



$$V_{at}) = (V_{C(0)} - V_C(t)) e^{-\frac{-(t-1,5)}{\tau}} + V_C(t)$$



$V_C(\infty) = 0$

$$\frac{V-1}{1} = \frac{V-1}{\epsilon} \Rightarrow V = 14,44 \text{ V}$$

$$V_C(\infty) = 14,44 \text{ V}$$

**Raz**

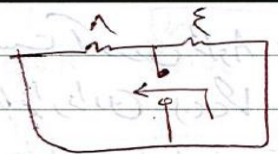
(P4)

(E)

تحليل مدار

نکته: همیشه  $v_c(t^-) = v_c(t^+) \Rightarrow v_c(t^-) = v_c(t^+) = v_c(0) = v_c(0^+) = v_c(0^-)$

Date: \_\_\_\_\_ Subject: \_\_\_\_\_



$R_{eq} = 1 \parallel 1 = \frac{1}{2} \Omega$

برای استرین  $\gamma$

$\gamma = R \cdot C = \frac{1}{2} \times 10^{-2} = \frac{1}{50} \Rightarrow \frac{1}{\gamma} = 50$

$V_c(t) = (V_{13} - 13,44)e^{-\frac{t}{50}} + 13,44$

$V_c(t) = 13,44 - 9,55 e^{-\frac{t}{50}}$

$V_c(0,5) = 13,44 - 9,55 e^{-\frac{0,5}{50}}$

خازن در مقابل تغییرات ولتاژ مقاومت میزند

$V_c(0,125) = 13,44 - 9,55 e^{-\frac{0,125}{50}}$

دقت همین تحلیل برنا خدای \*